



Particles and Pores: New transport and capture mechanisms

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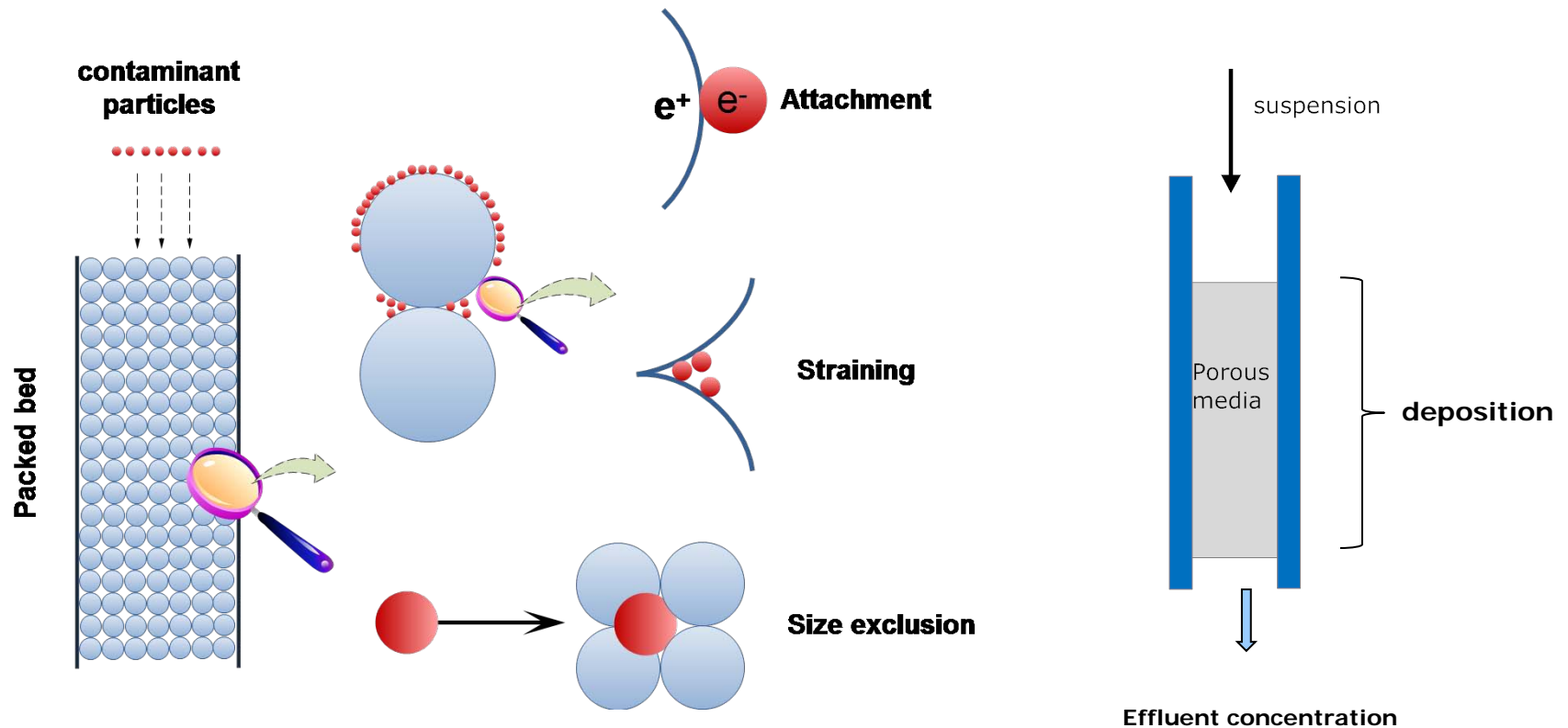
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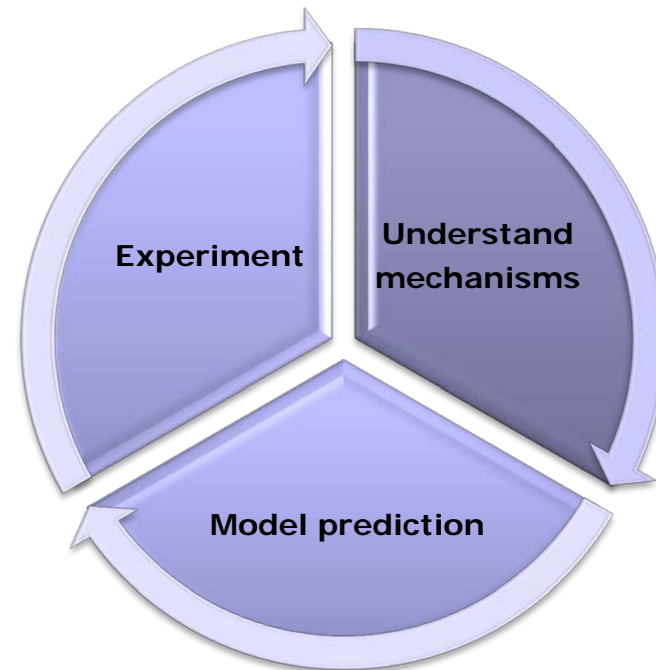
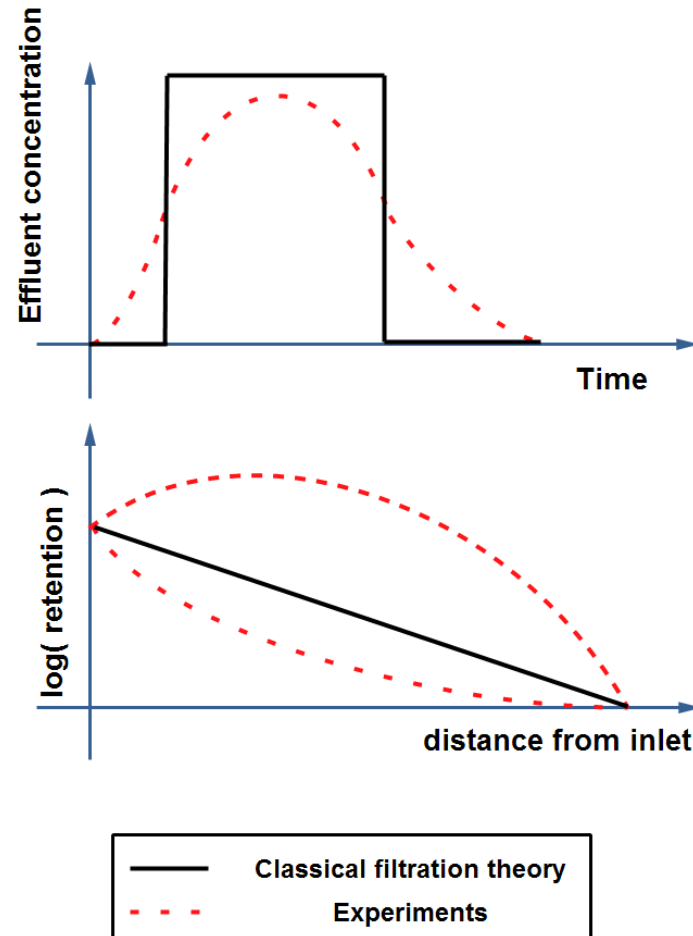
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Deep bed filtration



Breakthrough and deposition profiles



Progress and outline

2009, Oct. ~ 2010, May	<ul style="list-style-type: none"> • Non-Fickian transport • Hyper-exponential deposition
2010, May ~ 2010, Aug.	<ul style="list-style-type: none"> • Release and migration of deposition • Non-monotonic deposition
2010, Aug. ~ 2010, Dec.	<ul style="list-style-type: none"> • Uncertainty and sensitivity analysis • Models for non-Fickianity & hyperexponentiality
2011, Jan. ~ 2011, Apr.	<ul style="list-style-type: none"> • Erosion of porous media • Fines migration in layer-cake reservoirs
2011, Mar. ~ 2011, May	<ul style="list-style-type: none"> • Review of stochastic approaches to modeling suspension flow in porous media
2011, Apr. ~ 2011, Jul.	<ul style="list-style-type: none"> • Developing software for waterflooding with solids filtration and injectivity decline

Task 01: Non-Fickian transport and Hyperexponential deposition

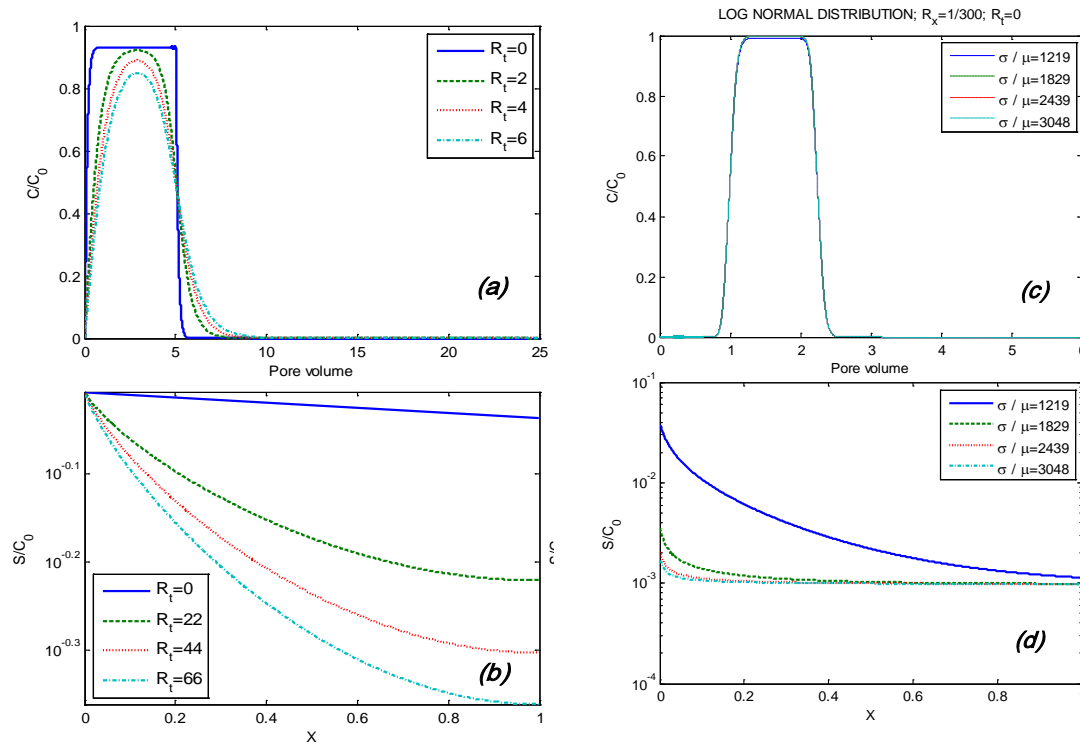
Elliptic equation^[1,2]:

- Non-Fickian transport
- Median heterogeneity
- Temporal dispersion term

Distributed filtration coefficients:

- Poly-disperse suspension
- Log-normal distribution
- Power-law distribution
- Bimodal distribution

Deposition hyperexponentiality^[3]

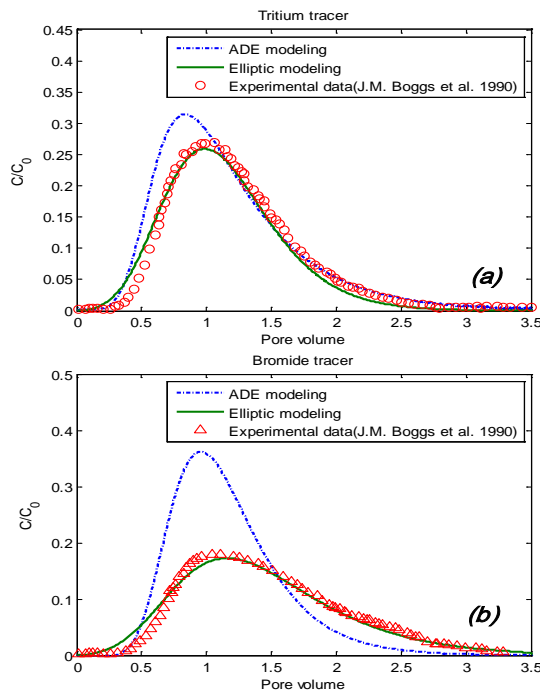


•Temporal dispersion → hyperexponentiality

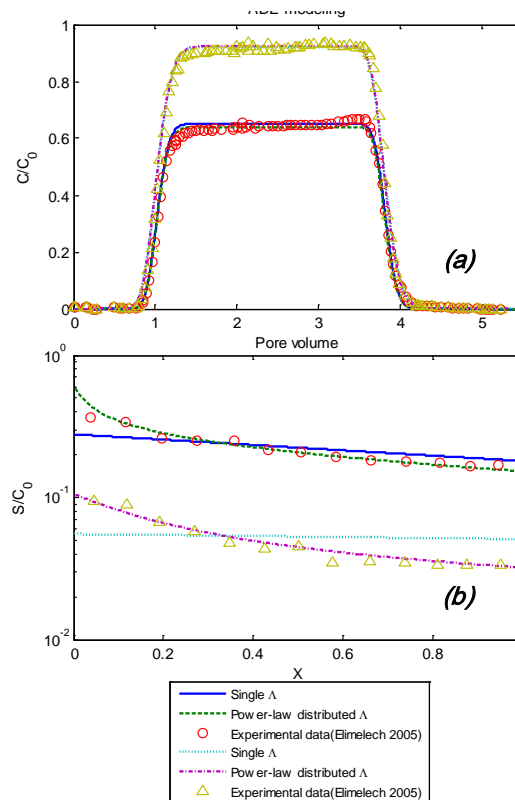
•Standard deviation → hyperexponentiality

Deposition hyperexponentiality is attributed to non-Fickian transport (median heterogeneity) and particle population heterogeneity.

Comparison with experiments^[3]



1. Natural Porous media
2. Tracer injection



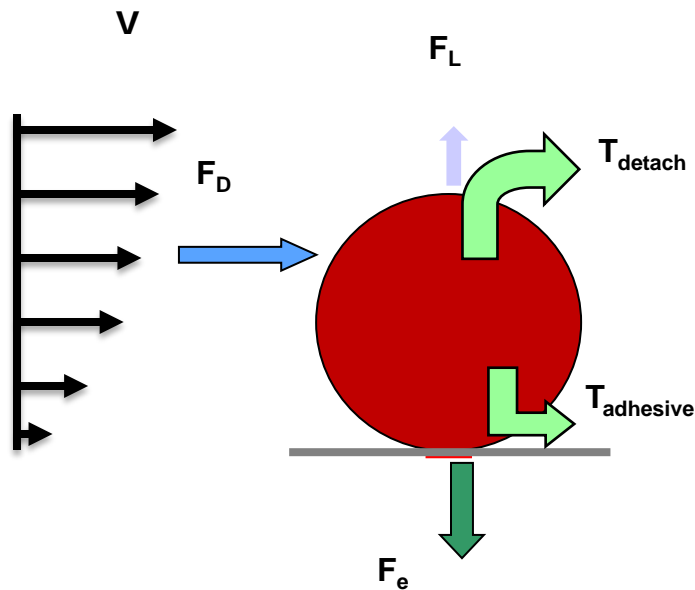
1. Packed glass beads
2. Colloids injection

•Elliptic equation excels the ADE in heterogenous porous media.

•ADE with distributed filtration coefficients is sufficient for filtration in homogeneous porous media.

•Published as a journal paper in [3].

Task 02: Non-monotonic deposition profiles



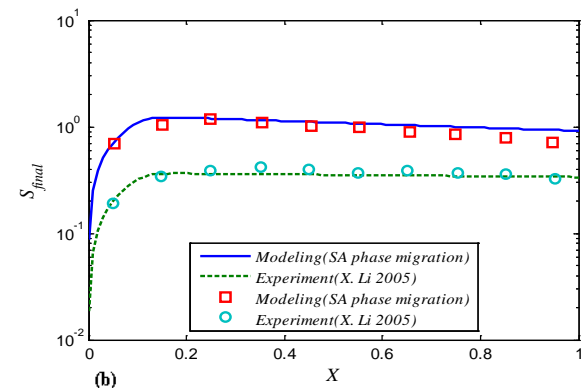
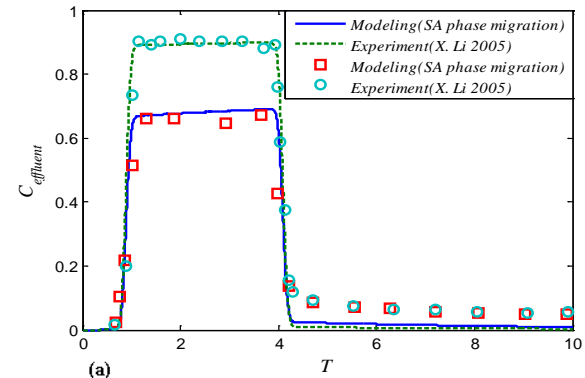
Torque balance determines whether the attached particles will stay or be re-entrained by the bulk fluid.

Aggregates may form and release.

A new model for non-monotonic deposition^[4]



1. Migration of surface-associated particles due to weak association.
2. Aggregates formation can also produce non-monotonic deposition.
3. A third particle population is sufficient for modeling non-monotonic deposition.



•Published as a journal paper in [4].

Task 03: Uncertainty and sensitivity analysis of filtration models

Uncertainty and sensitivity analysis

- Linear error propagation
- Monte Carlo procedure
- Differential analysis-local sensitivity
- Regression of Monte Carlo simulations

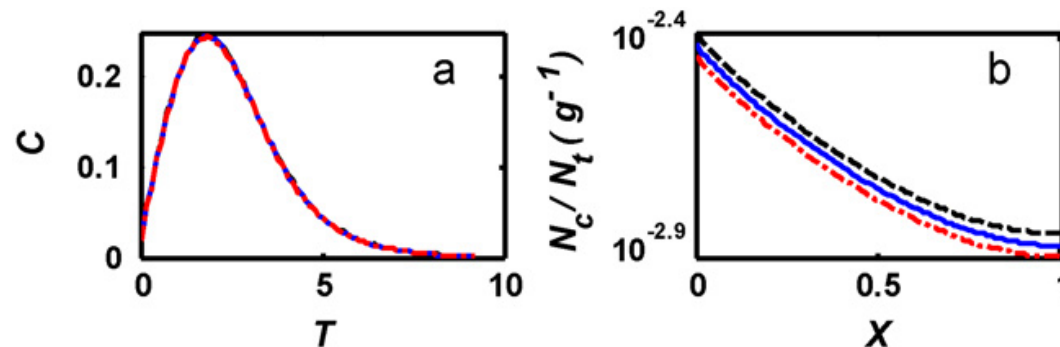
Filtration models

- Elliptic equation
- CTRW equation
- Distribution of filtration coefficients

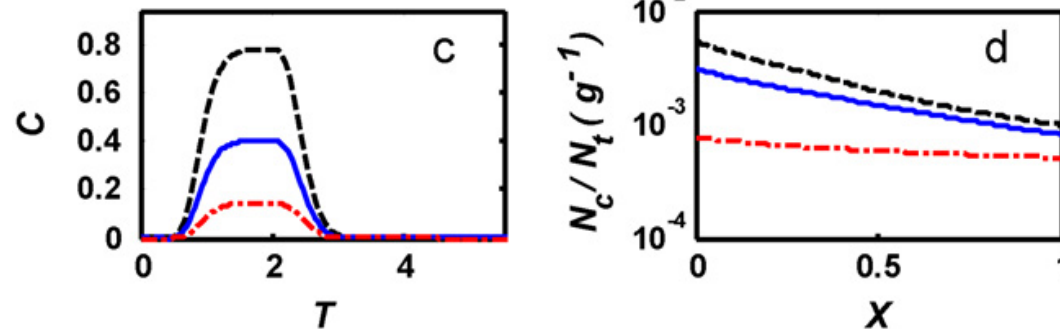
Experimental data

- Uniformly packed glass beads
- Uniformly Packed sands
- Non-uniformly packed sands
- Tracer or colloids injection

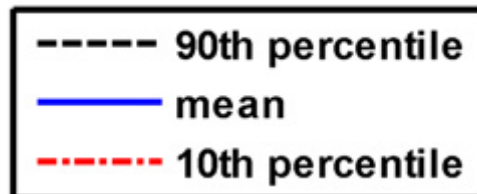
Uncertainty analysis with Monte Carlo simulations^[5]



Monodisperse suspension

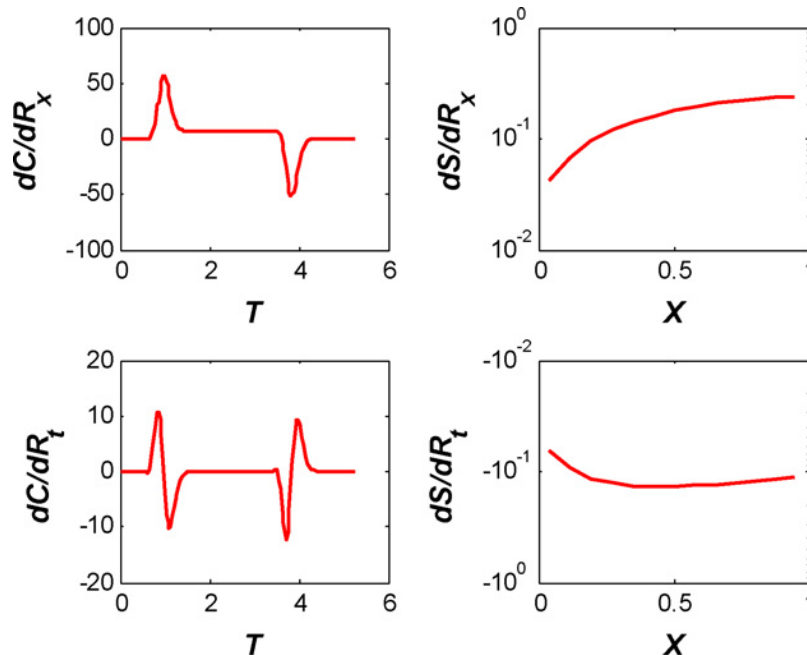


Polydisperse suspension



Higher uncertainties are observed in the cases with more heterogeneous colloids.

Local sensitivity & differential analysis^[5]



C --effluent concentration

S --deposition

R_t --temporal dispersion

R_x --normal dispersion

1. More measurements around the breakthrough and the end of injection are suggested to determine the dispersion coefficients more accurately.
2. Temporal dispersion contributes to deposition hyperexponentiality and spatial dispersion compensates this effect.

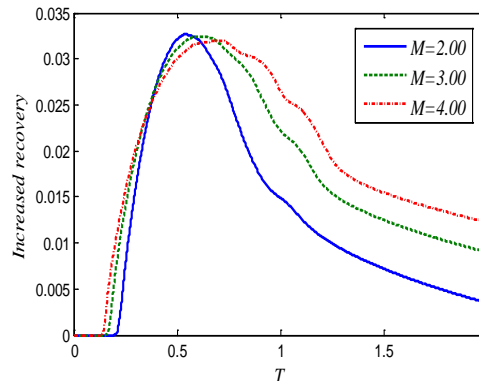
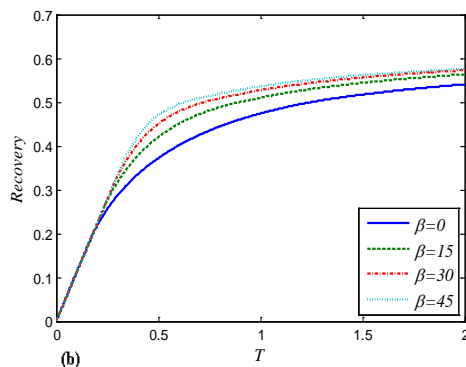
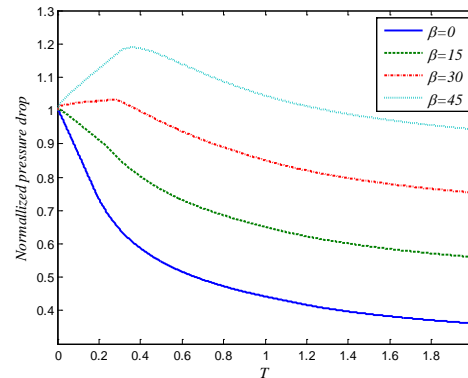
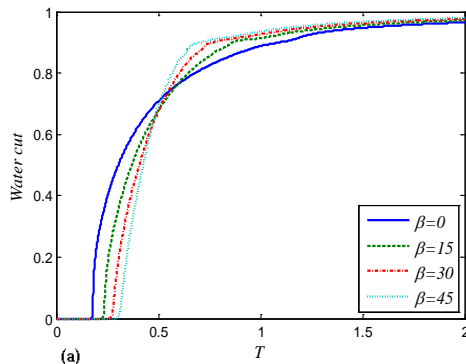
•Published as a journal paper in [5].

Task 04: Induced fines migration by low salinity waterflooding

**Torque balance analysis→
Express maximum retention
as a function of:**

1. Water salinity
2. Water velocity
3. Particle size
4. ...

Low salinity waterflooding in communicating layer-cake reservoirs^[6,7]



1. Water cut is decreased.
2. Oil recovery is increased.
3. More energy for the pressure drop is required.
4. Higher mobility ratio facilitates the fluid diversion caused by fines migration.

Here β is the formation damage coefficient.

•Submitted as 2 journal papers in [4].

Task 05: Review of stochastic approaches to modeling suspension flow in porous media

Population balance approaches

- Particle flow kinetics
- Particle capture kinetics
- Pore plugging kinetics
- Averaging integral-differential equations

Continuous time random walk approaches

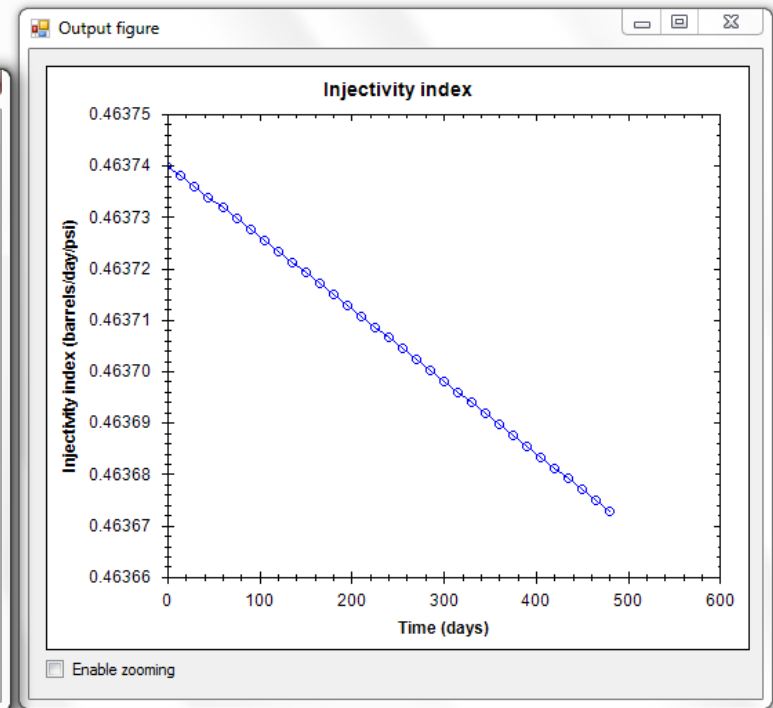
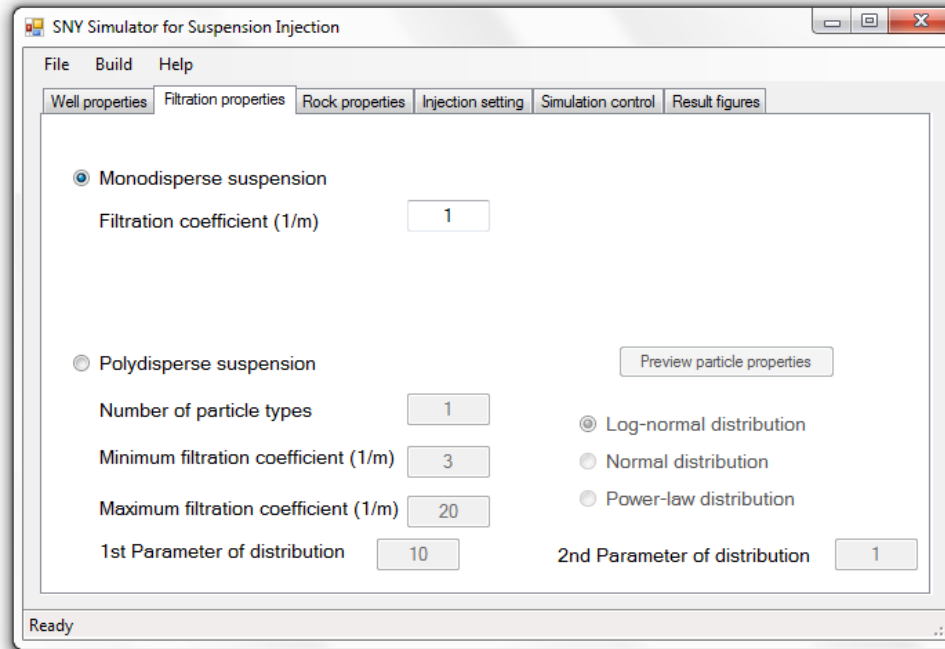
- Microscopic-scale random motions of particles
- Expressions in Laplace space
- Memory function with residence time distribution

Elliptic equation approaches

- Microscopic-scale random motions of particles
- Elliptic equation with temporal dispersion term
- Coupled with population balance approach

Accepted as a book chapter [8]

Task 06: Software development for waterflooding with solids filtration



- Distribution of filtration coefficients
- Elliptic equation for non-Fickian transport
- 1-D linear injection and axis-symmetric radial injection
- Formation damage and injectivity decline of injection wells

Future tasks

1. More modules in the software accounting for external cake formation, perforations, horizontal injection wells.
2. Optimization problems of low-salinity waterflooding: balance between energy consumption for pressure and increased oil recovery.
3. Application of percolation theory for suspension flow in porous media.

References

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**Thank you for your
attention!
Questions?**